



# Instance-based Method for Post-hoc Interpretability: a Local Approach

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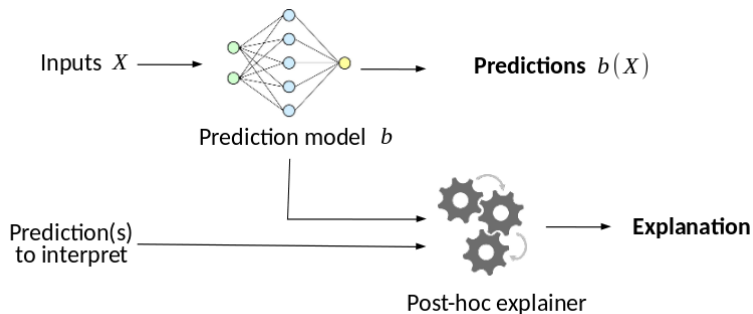
LIP6 - Sorbonne Université

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Workshop on Machine Learning and Explainability  
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# Post-hoc Interpretability

Considered framework



# Post-hoc Interpretability

## State of the art

Several types of approaches exist in the literature, such as:

- ▶ Sensitivity analysis

e.g. Baehrens et al. 2010

- ▶ Rule extraction

e.g. Wang et al. 2015, Turner 2016

- ▶ Surrogate model approaches

e.g. Ribeiro et al. 2016 (LIME), Ljungberg et al. 2017 (SHAP)

- ▶ Instance-based approaches

e.g. Kim et al. 2014, Kabra et al. 2015, Wachter et al. 2018

# Instance-based Approaches (I)

## Context

### Principle

Using specific instances as explanations for the predictions of a model

- ▶ Arguments for instance-based approaches:
  - ▶ **Practical:** Using a 'raw' instance is in some cases better than forcing a specific form of explanation
  - ▶ **Legal:** Excessive disclosure of information about the inner workings of an automated system may reveal protected information
  - ▶ **Scientific:** Cognitive Sciences approaches relying on teaching through examples

Watson et al. 2008

# Instance-based Approaches

State of the art

Different approaches using instances as explanations, such as:

- ▶ Prototype-based approaches

e.g. Kim et al. 2014

- ▶ Influential neighbors

e.g. Kabra et al. 2016

- ▶ Counterfactuals

e.g. Wachter et al. 2018

# Related Fields

## Inverse Classification

- ▶ **Goal: manipulate an instance such that it is more likely to conform to a specific class**
- ▶ Several formulations, such as:
  - ▶ Find the smallest manipulation required

Barbella et al. 2009

- ▶ Increase the probability of belonging to another class

Lash et al. 2016

- ▶ Related field: evasion attacks in adversarial learning

Biggio et al. 2017

# Inverse Classification for Interpretability

## Problem definition

- ▶ **Inputs:**
  - ▶ Black-box classifier  $b : \mathcal{X} \rightarrow \mathcal{Y} = \{-1, 1\}$
  - ▶  $x \in \mathcal{X}$ ,  $b(x)$  the prediction to interpret
- ▶ **Goal:** Find the smallest change to apply to  $x$  to change  $b(x)$
- ▶ With the following assumptions:
  - ▶ Feature representation is known
  - ▶  $b$  can be used as an oracle to compute new predictions

## Final Explanation

**Final explanation = 'enemy' associated to this smallest change**

# Inverse Classification Problem

## Formalization

Proposed minimization problem:

$$e^* = \underset{e \in \mathcal{X}}{\operatorname{argmin}} \{c(x, e) : b(e) \neq b(x)\}$$

With  $c$  a proposed cost function defined as:

$$c(x, e) = \underbrace{\|x - e\|_2}_{\text{proximity metrics}} + \underbrace{\|x - e\|_0}_{\text{sparsity metrics}}$$



# Solving the Problem with *Growing Spheres*

## General Idea

- ▶ Complex problem:
  - ▶ Cost function is discontinuous
  - ▶ No information about  $b$
  - ▶  $b$  is 'only' returning a class (no confidence score such as probability)

# Solving the Problem with *Growing Spheres*

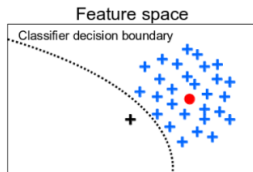
## General Idea

- ▶ Complex problem:
  - ▶ Cost function is discontinuous
  - ▶ No information about  $b$
  - ▶  $b$  is 'only' returning a class (no confidence score such as probability)
- ▶ Proposition: solve sequentially the minimization problem:
  1.  $l_2$  component: **Generation** step
  2.  $l_0$  component: **Feature Selection** step

# Solving the Problem with *Growing Spheres*

## Implementation

1. **Generation** of instances uniformly in growing hyperspheres centered on  $x$  until an enemy  $e$  is found

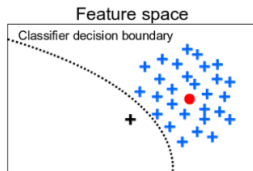


**Step 1: Generation**

# Solving the Problem with *Growing Spheres*

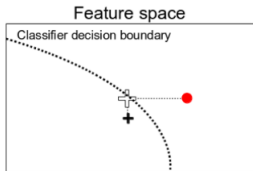
## Implementation

1. **Generation** of instances uniformly in growing hyperspheres centered on  $x$  until an enemy  $e$  is found



**Step 1: Generation**

2. **Feature Selection** performed by setting the coordinates of vector  $x - e$  to 0 to make the explanation sparse



**Step 2: Feature Selection**

# Possible Personalization

Depending on the user needs and the prediction task, several elements can be modified, such as:

- ▶ The features that are used in the exploration
  - ▶ The user might be interested in some specific directions
  - ▶ E.g. Marketing model predicting if whether a user will buy a product or not: number of ads sent vs age of the customer
- ▶ The cost function used

# Illustrative Results

## Illustration on the Boston dataset

- ▶ **Boston Housing dataset**
- ▶ **Binary classification problem:**  
 $\mathcal{Y} = \{expensive, not\ expensive\}$ 
  - ▶ expensive = median value higher than 26 000\$
- ▶ **Representation:** 13 attributes.
  - ▶ Examples: number of rooms, age of the buildings...
- ▶ A **black-box classifier** is trained
  - ▶ In this case, a Random Forest algorithm
- ▶ We use *Growing Spheres* to **generate explanations** for individual predictions

# Experimental Results

Illustration on the Boston dataset

| Housing/class       | Feature  | Move   |
|---------------------|--|--------|
| H1<br>Not Expensive | Average number of rooms per dwelling             | +0.12  |
|                     | Nitrogen oxides conc. (parts per 10 million)     | -0.008 |
| H2<br>Expensive     | Average number of rooms per dwelling             | -0.29  |
|                     | Proportion of non-retail business acres per town | +0.90  |

# Extension and link with surrogates models

- ▶ A possible requirement for an explanation could be its **robustness**:

- ▶ Do two close instances have similar explanations?

Alvarez-Melis et al. 2018

- ▶ How can a local explanation be 'generalized'?

- ▶ **Local surrogate models** aim at approximating the local decision border of a black-box with an *interpretable* model

Ribeiro et al. 2016 (LIME)



# Performance metrics (I)

## Proposed measure

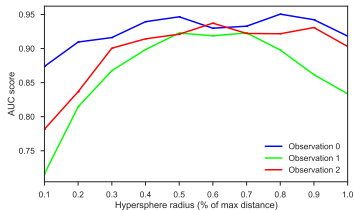
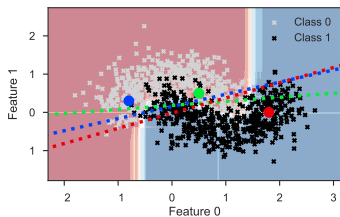
- ▶ **Local Fidelity**: measures the surrogate's local accuracy to the black-box model

$$LocalFid(x, s_x) = Acc_{x_i \in \mathcal{V}_x}(b(x_i), s_x(x_i))$$

- ▶ How well the surrogate mimics the black-box
- ▶ Neighborhoods  $\mathcal{V}_x$  can be modified
  - ▶ E.g. Hyperspheres of growing radius
- ▶ A high fidelity in an a given neighborhood  $\mathcal{V}_x$  means that the explanation can be generalized in this area

# Performance metrics (II)

Measuring the quality of the local approximation

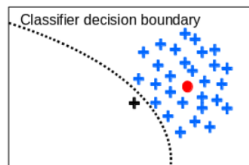


- ▶ The Local Fidelity measure captures the local behavior of the surrogate model

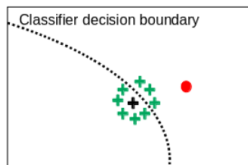
# Local Surrogate Model (LS)

## Principle

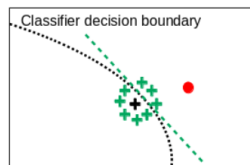
1. **Detection** of the black-box's **closest decision boundary**
2. Local **sampling** in this area
3. Fit of the surrogate
4. Extract explanations



Step 0: Closest border detection



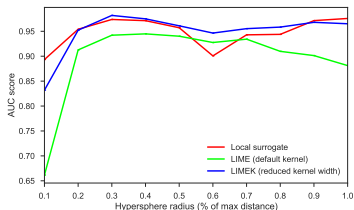
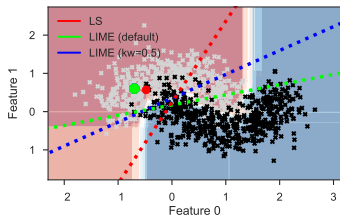
Step 1: Local sampling



Step 2: Model training

# Preliminary Results (I)

- ▶ Experiment setup
  - ▶ Competitors: LS, LIME, LIME-K (reduced kernel width)



- ▶ LS has more intuitive frontier approximations
- ▶ Higher local fidelity for small hypersphere radius

# Preliminary Results (II)

- ▶ Experiment setup
  - ▶ Competitors: LS, LIME, LIME-K (reduced kernel width)
  - ▶ Datasets: 1/2-moons, cancer, credit, news, tennis (UCI)
  - ▶ Growing local fidelity metric for 5% radius, averaged over test set instances
- ▶ Avg. Local Fidelity (AUC): +8% over LIME (1/2-moons)
- ▶ UCI datasets: LS with +9% to +18%

# Conclusion and Perspectives

- ▶ The proposed approaches are:
  1. A post-hoc interpretability method using **instances to generate explanations** when **no information about the classifier nor any data is available**
  2. A surrogate model approach to generate more robust explanations by approximating the local decision border of the black-box
- ▶ Ongoing works:
  - ▶ Design heuristics for the hyperparameters tuning
  - ▶ Work on the notion of robustness
  - ▶ Work on explanation validation:
    - ▶ Define validation criteria
    - ▶ Have experiments with real users and industry experts



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